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J. Phys. A: Math. Gen. **33** (2000) 3531. Printed in the UK

Corrigenda

General Hermite and Laguerre two-dimensional polynomials
A Wünsche 2000 *J. Phys. A: Math. Gen.* **33** 1603–1629

By comparing formula (5.5) with formula (A.4) in appendix A, a difference in the order of indices V'_{xy} in (5.5) with the corresponding V'_{21} in (A.4) was overlooked. This has an influence on the orthogonality and completeness relations of the Hermite 2D functions which possess the following correct form with an additional transposition (notation $^{\mathsf{T}}$) of U^{-1}:

$$\int \mathrm{d}x \wedge \mathrm{d}y\, h_{k,l}\big((U^{-1})^{\mathsf{T}}; x, y\big) h_{m,n}(U; x, y) = \delta_{k,m}\delta_{l,n}$$

$$\sum_{m=0}^{\infty}\sum_{n=0}^{\infty} h_{m,n}(U; x, y) h_{m,n}\big((U^{-1})^{\mathsf{T}}; x', y'\big) = \delta(x - x')\delta(y - y')$$

and analogously for the Laguerre 2D functions by substitution $U^{-1} \to (U^{-1})^{\mathsf{T}}$, where $(U^{-1})^{\mathsf{T}} = (U^{\mathsf{T}})^{-1}$ is the contragredient matrix to U. In order to get full compatibility with appendix A, one may substitute in section 5 matrix V by its transposed V^{T}; i.e. $V \to V^{\mathsf{T}}$, $V_{xy} \leftrightarrow V_{yx}$ and $V_{zz^*} \leftrightarrow V_{z^*z}$.

PII: S0305-4470(00)13079-3